

# Back to Basic Statistics

**Challenging the Status Quo in  
Statistical Process Control**

Gary Chung, OCLBASA Fall Social 2015





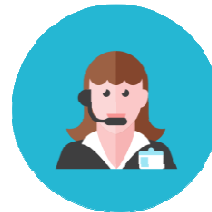
**Head**  
Quality Statistics



**Phantom  
Phone Booths, Inc.**



10,000+ units in service



10,000 issues per month

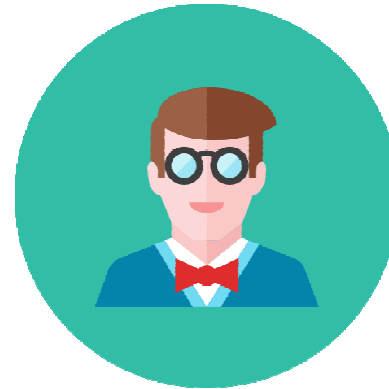


10 years of historical data





**CEO**  
Phantom



**Head**  
Quality Statistics



What is the data telling us?  
When do we need to take action?  
Can we improve the quality of our products?



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*What have you been doing so far?*



*We monitor all our calls on a monthly basis.  
We use:*

- *DPMO (Defects Per Million Opportunities)*
- *Normalization based on # of phone calls*
- ***Statistical Process Control***
- *12-month rolling averages*



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# Defects Per Million Opportunities

$$DPMO = \frac{1,000,000 \times \text{number of defects}}{\text{number of units} \times \text{number of opportunities per unit}}$$

## **As an example:**

The #1 issue last month was on “Dropped call”, which we received 3,000 issues.

We had 10,000 active phone booths and 10,000,000 phone calls last month.

This comes out to 300 DPMO.



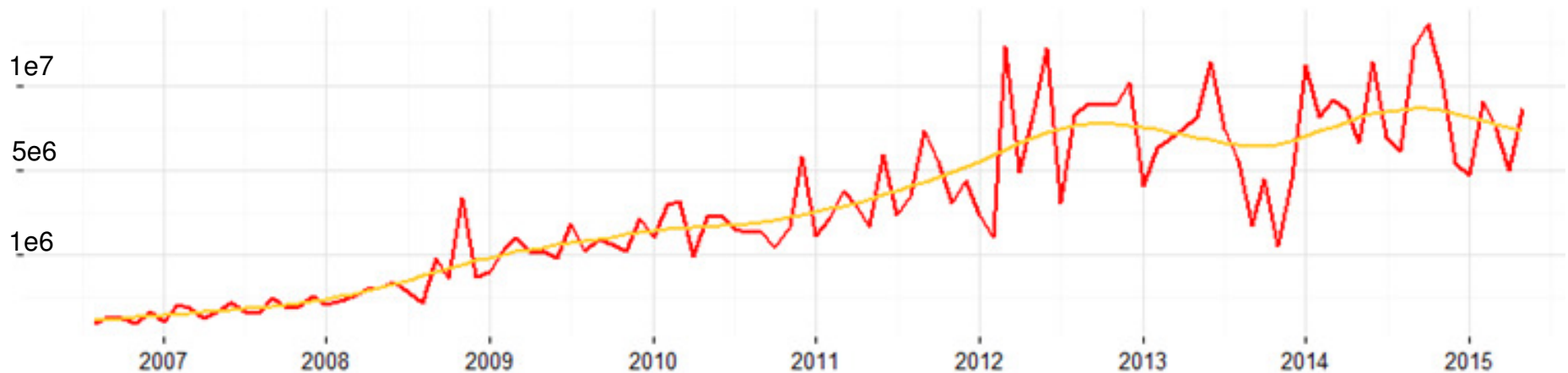
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# Normalization



*We get # of calls from our database.  
Unfortunately we don't get any data for  
Europe or Australia. Also, some of the data is  
self-reported so it isn't 100% reliable.*



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# Statistical Process Control

**Walter A. Shewhart**, Bell Laboratories, 1924  
a.k.a. Shewhart Chart, Control Chart

## **Purpose:**

- To monitor and reduce variation in a manufacturing process.
- To minimize waste and failures in the field.

## **Pioneering use:**

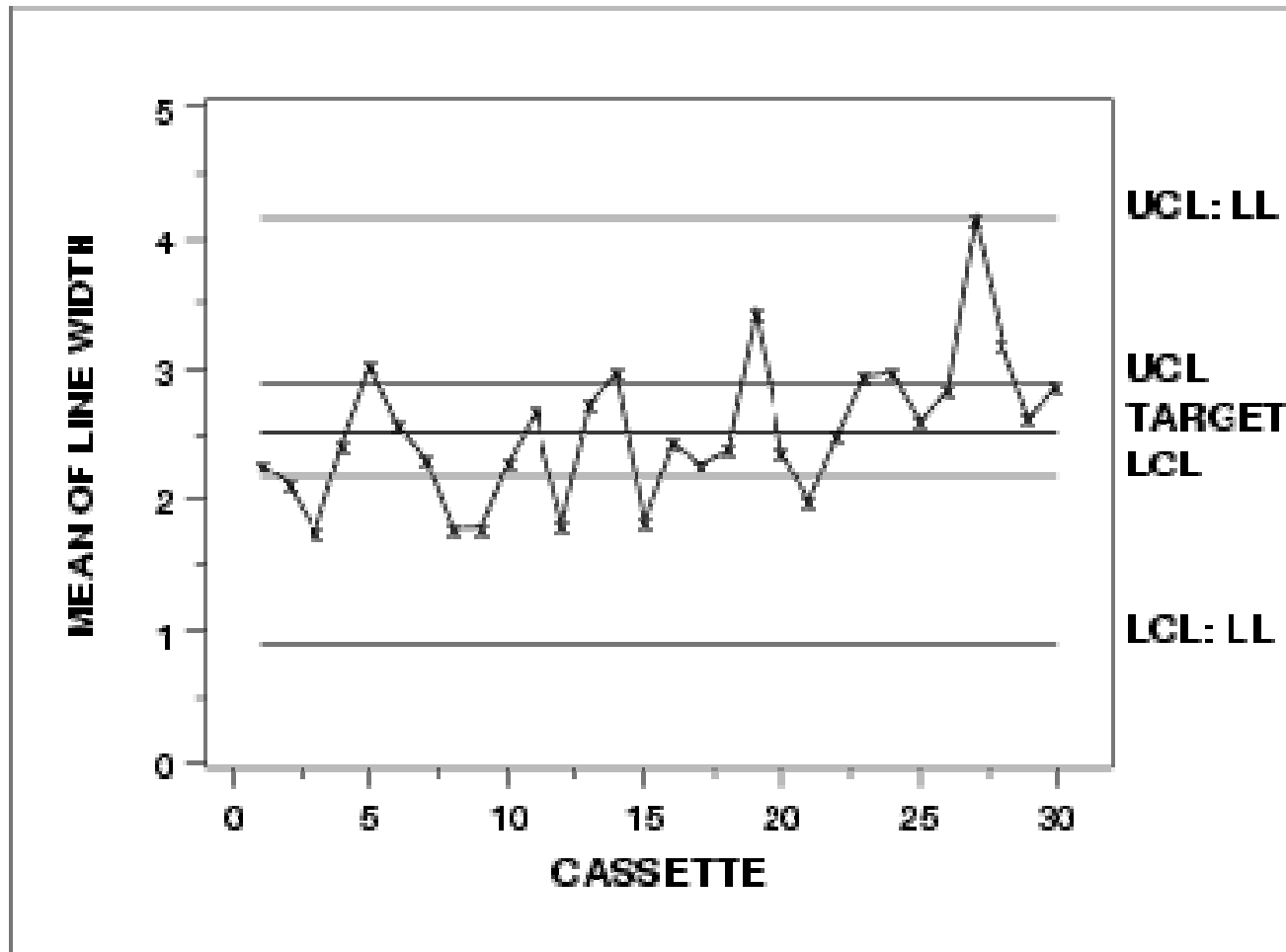
Amplifiers manufactured for use in telephony transmission systems.



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# Statistical Process Control



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# 12-Month Rolling Averages

## **Purpose:**

To help establish the Upper Control Limit (UCL).

$$UCL \cong \bar{x} + 3\delta$$

Where  $\bar{x}$  is the average DPMO of the last 12 months.

$$UCL = \bar{x}_{12} + \frac{3\overline{MR}^*}{1.128}$$

\* Montgomery, Douglas (2005). Introduction to Statistical Quality Control. Hoboken, New Jersey: John Wiley & Sons, Inc. ISBN 978-0-471-65631-9. OCLC 56729567.



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*What problems have you had with SPC?*



*Well, you see, both our inspectors and we realize the following shortcomings...*

- 1. If the DPMO is increasing gradually over many months, we will never exceed the UCL.*
- 2. If we always had a lot of issues, our UCL will be very high.*
- 3. Many issue types are rare (0 to 2 per month). For these types, 1 received issue becomes flagged by the UCL.*



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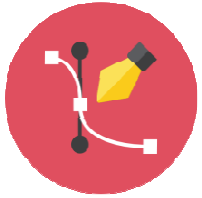
***I use statistics  
like a drunken  
man uses  
lampposts –  
for support  
rather than  
illumination.***

*- Andrew Lang 1910*





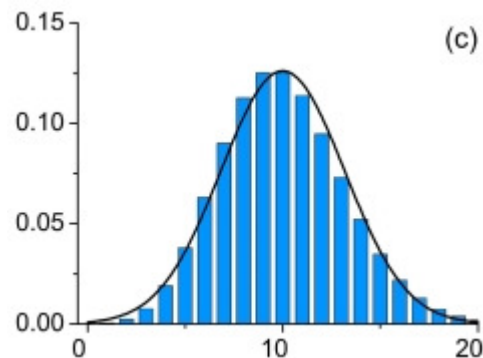
**What would you do?**



# The Data Are Different

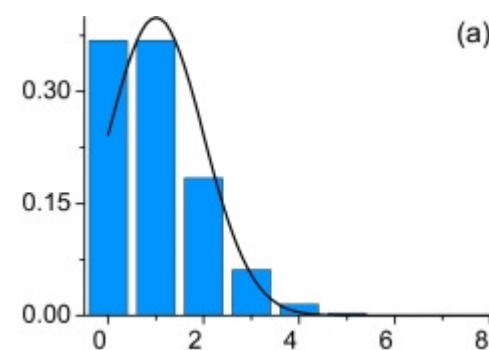
## SPC Data

- Samples from a lot
- Sequence of data not as important
- Normal distribution



## Issue Data

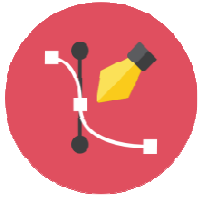
- Events in the field
- Time is a critical variable
- Poisson distribution



(especially rare events)

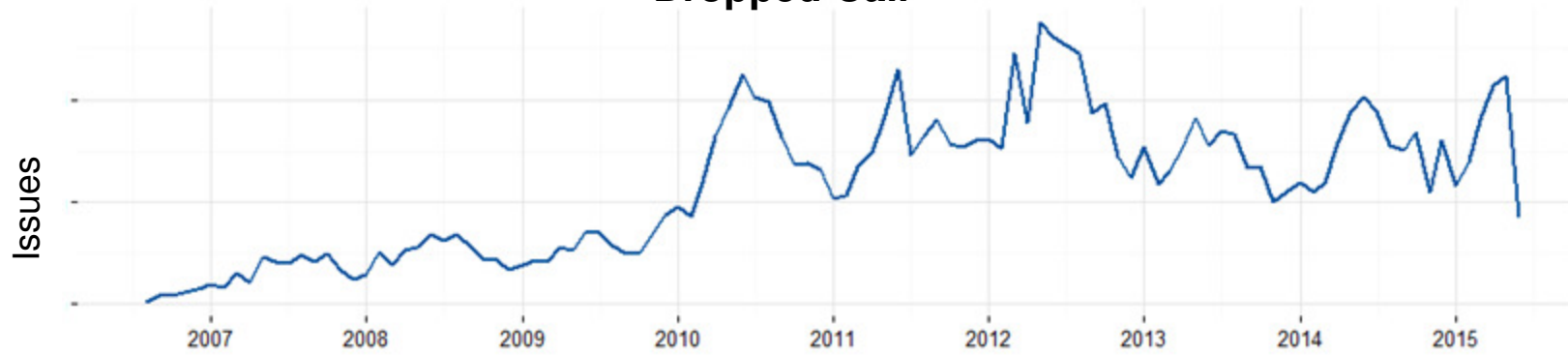


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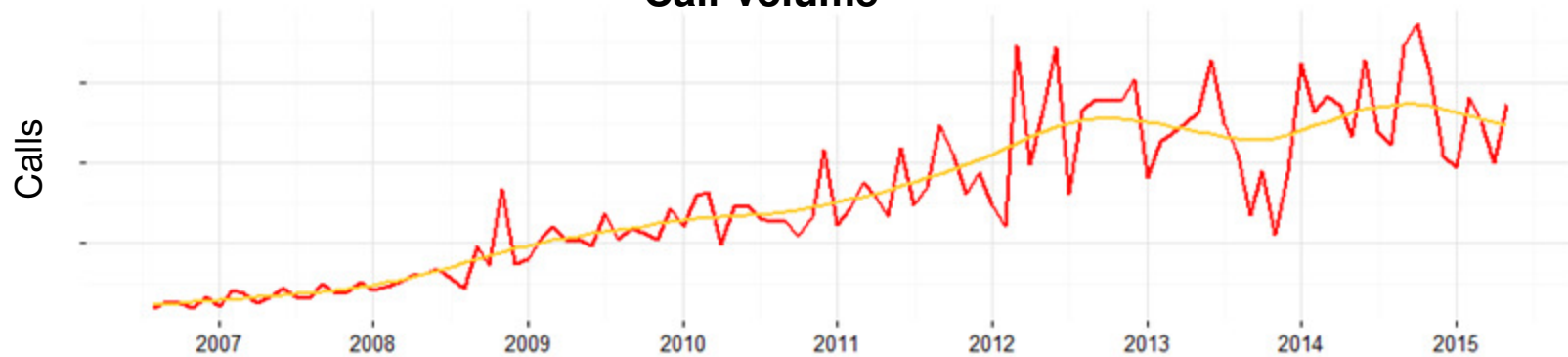


# #1: Get Source Data

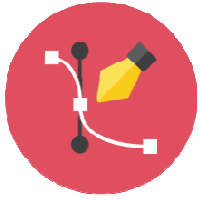
**Dropped Call**



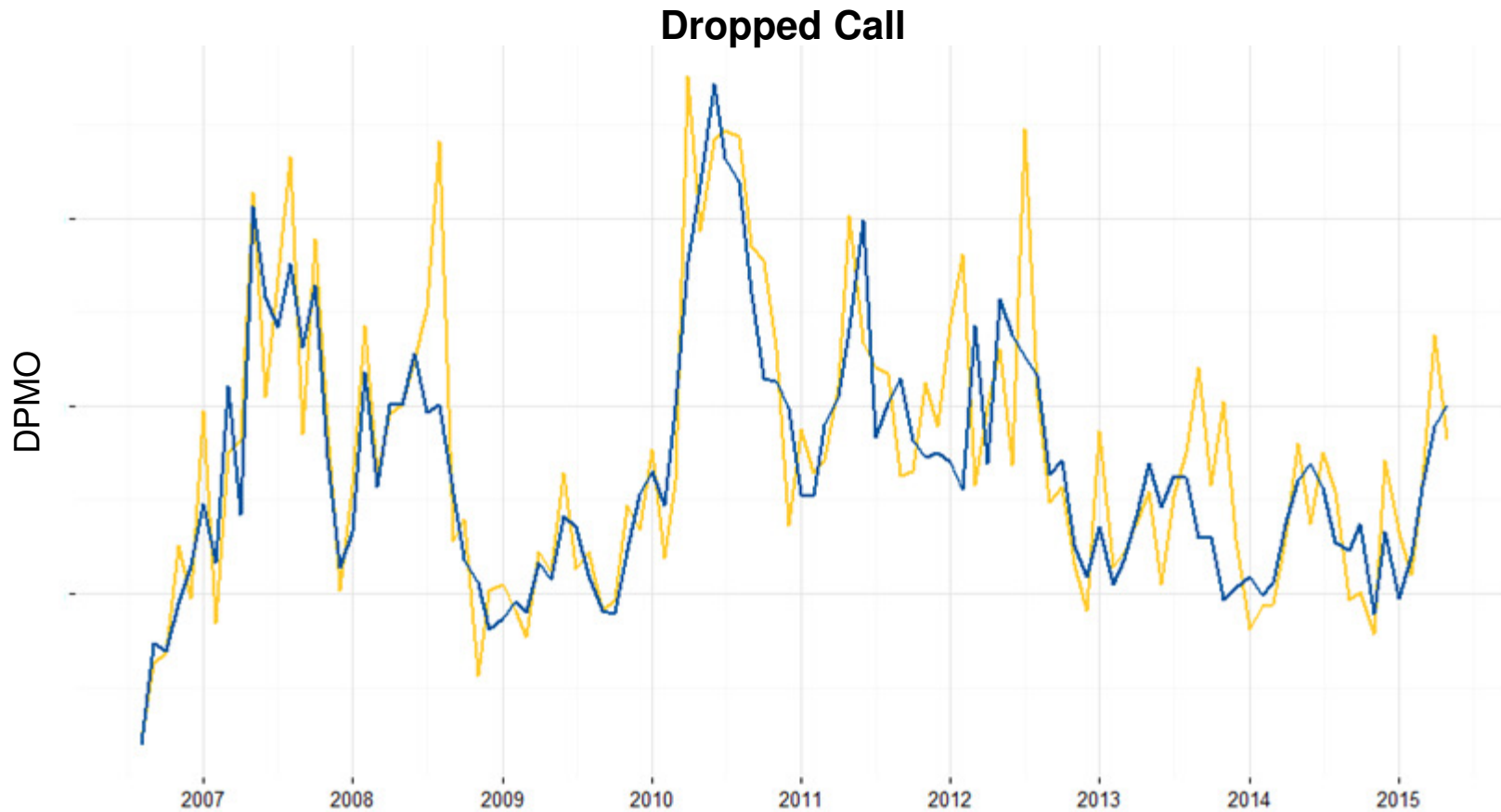
**Call Volume**



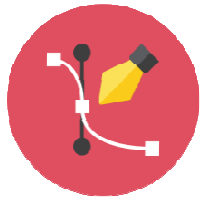
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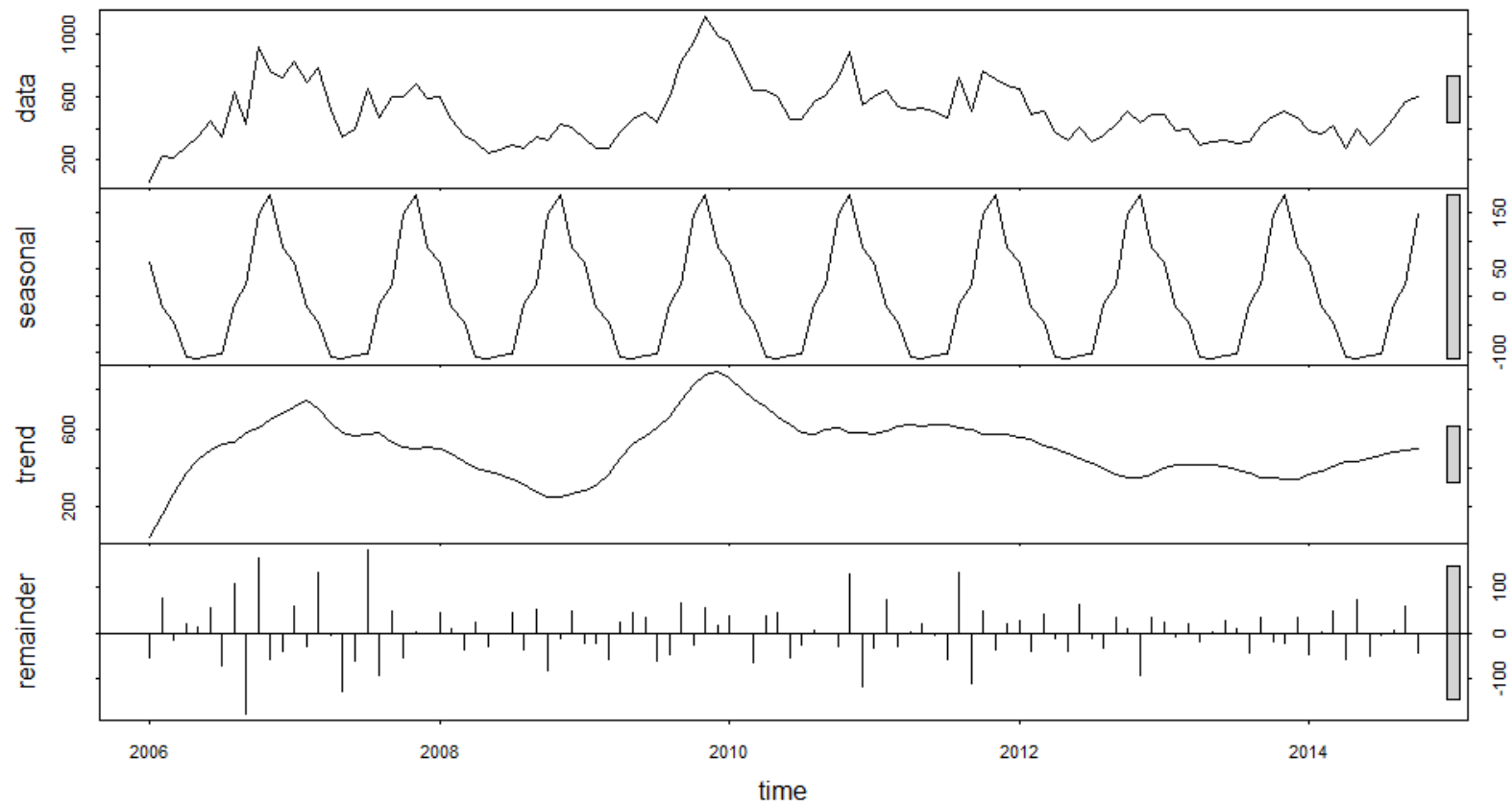
## #2: Calculate DPMO



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## #3: Seasonal Trend Decomposition Using LOESS



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*How does this work?*



*Once the decomposition is done, we look at the following:*

- Over – Is the actual DPMO too high?
- Repeated – Does the DPMO exhibit periodic behavior?
- Directional – Is there a steadily increasing trend?
- Unusual – Is the DPMO unexpectedly higher than normal?

<sup>o</sup> Six Sigma methodology of minimizing complaints

<sup>R</sup> Seasonal or cyclic component in a time-series model

<sup>D</sup> Non-stationary behavior in a time-series model

<sup>U</sup> Above the UCL of a Shewhart control chart, typically  $3\sigma$

} Seasonal Trend Decomposition (STL)  
Cleveland et al., 1990



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*How long does it take to detect a signal?*



*Assuming a monthly trending process:*

- Over – 1 month
- Repeated – 7-18 months
- Directional – 3-7 months
- Unusual – 1 month

<sup>R</sup> Standard lag of 12, or annual seasonality, with an assumption of 1.5 periods to signal detection, equals 18 months. Lag of 3, or quarterly seasonality, is limited by resolution to a minimum of 7 months per (3).

<sup>D</sup> Current STL LOESS smoother is set to a lag of 7 as a compromise between time to detection and false signal rate from a small smoothing window.



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